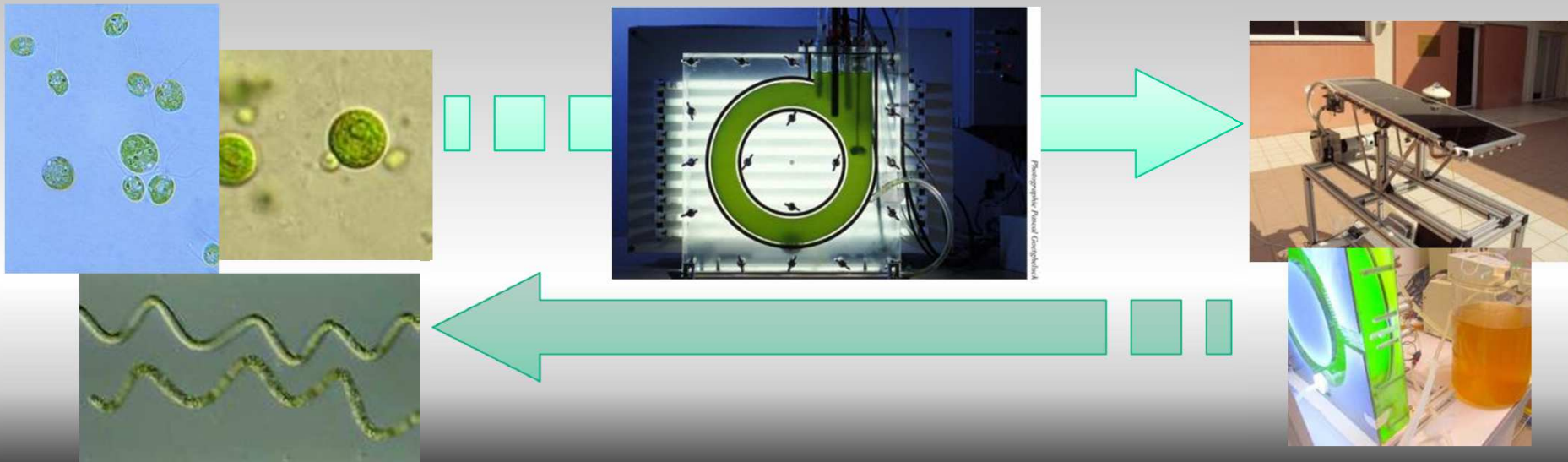




Some insights on photobioreaction engineering



MELiSSA workshop – Lausanne – 8-9 June
2016

Industrial interests for microalgae

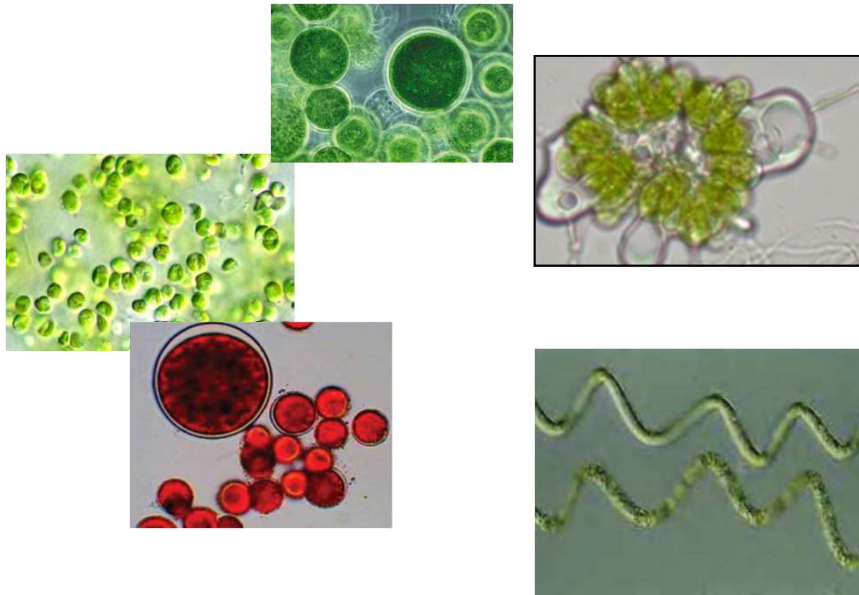
Microalgae: a new vegetable feedstock with high potential

□ Composition

- Proteins
- Carbohydrates
- Lipids
- Specific metabolites: antioxidant, pigments, Polyunsaturated Fatty Acids, ExoPolySaccharides...

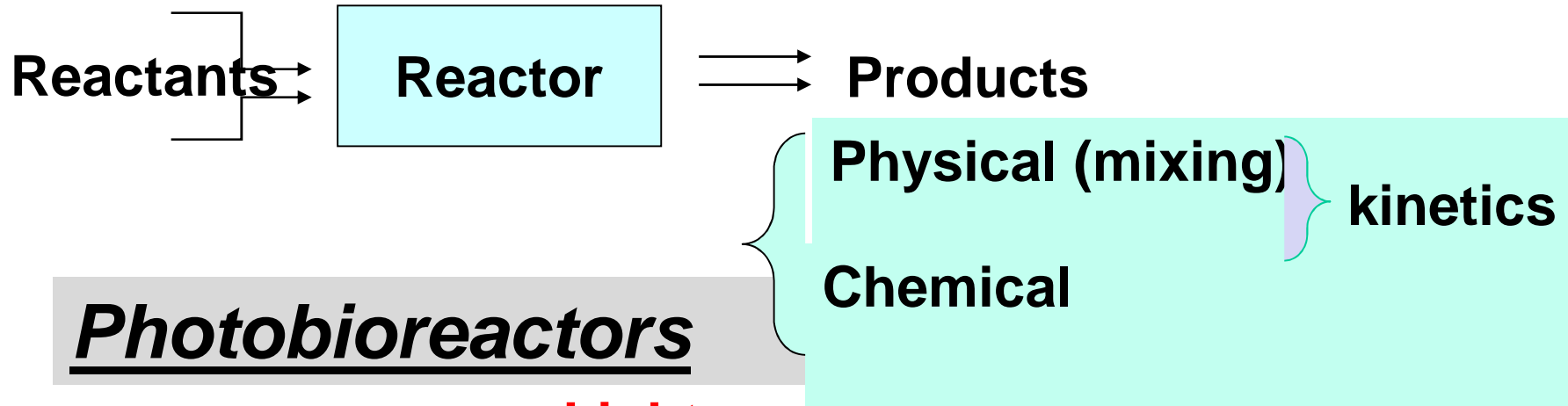
□ Application areas

- Food
- Feed
- Food supplement
- Biofuel production
- Pharmaceutical
- Cosmetics

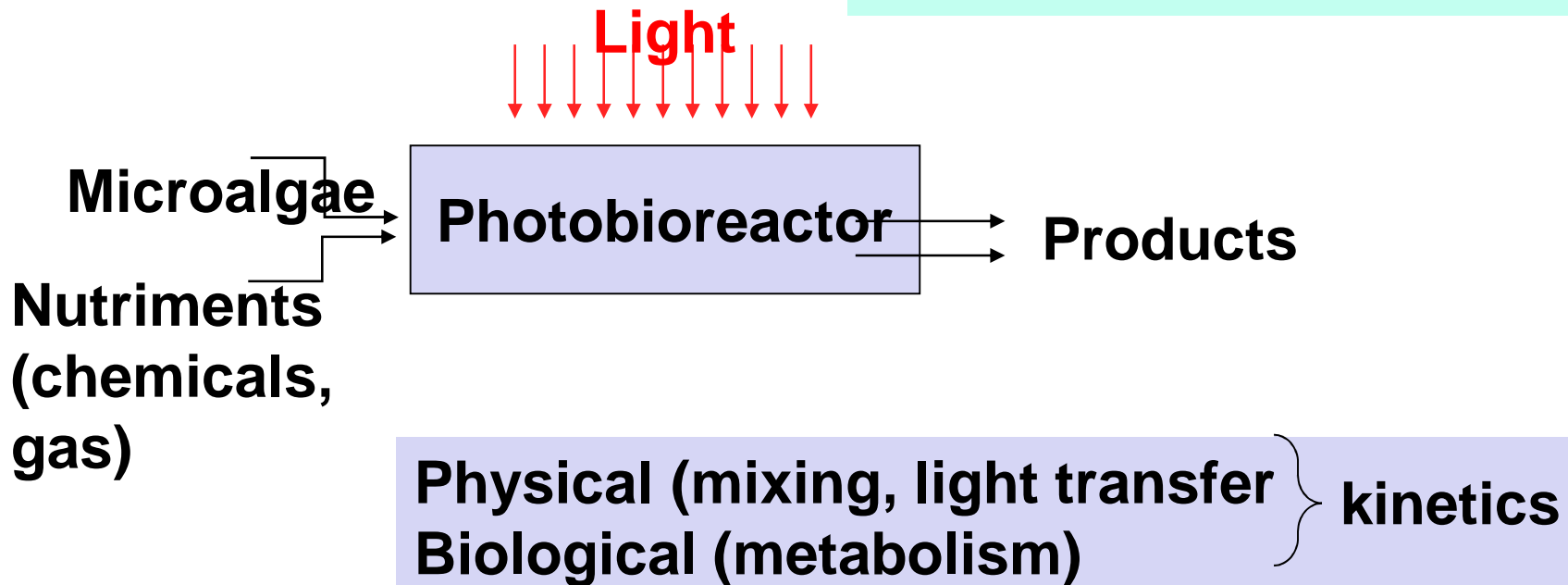


Photobioreactor engineering

Chemical reactors

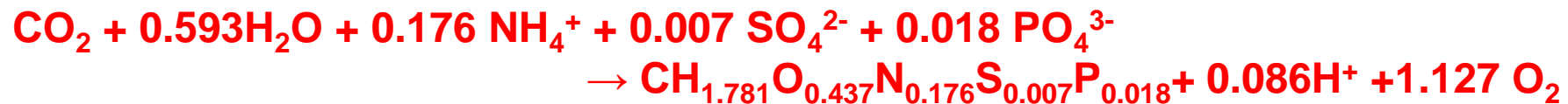


Photobioreactors



Photosynthetic microorganisms cultivation

Photoautotrophic growth of *Chlamydomonas reinhardtii*

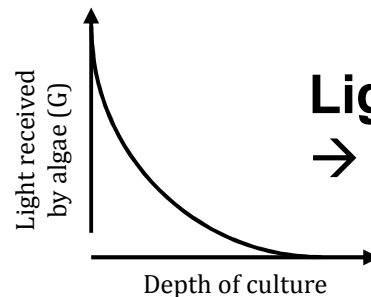
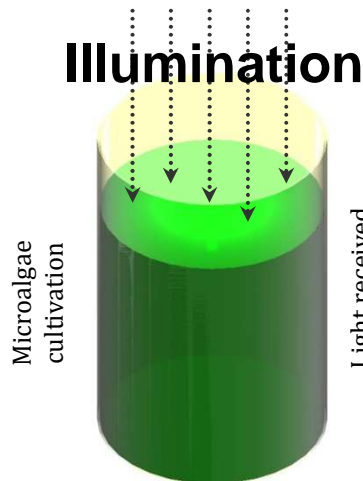


Photosynthetic growth



Needs light in addition to chemical nutrients

Illumination



Light is absorbed in the culture volume
→ light is heterogeneously distributed

Limiting growth factors

- **Light**
- **Dissolved carbon**
- **Chemical nutrients**
- **Physicochemical conditions (T,pH)**
- **Bacterial contamination**

Aim of bioprocess engineering:
control of growth limitations

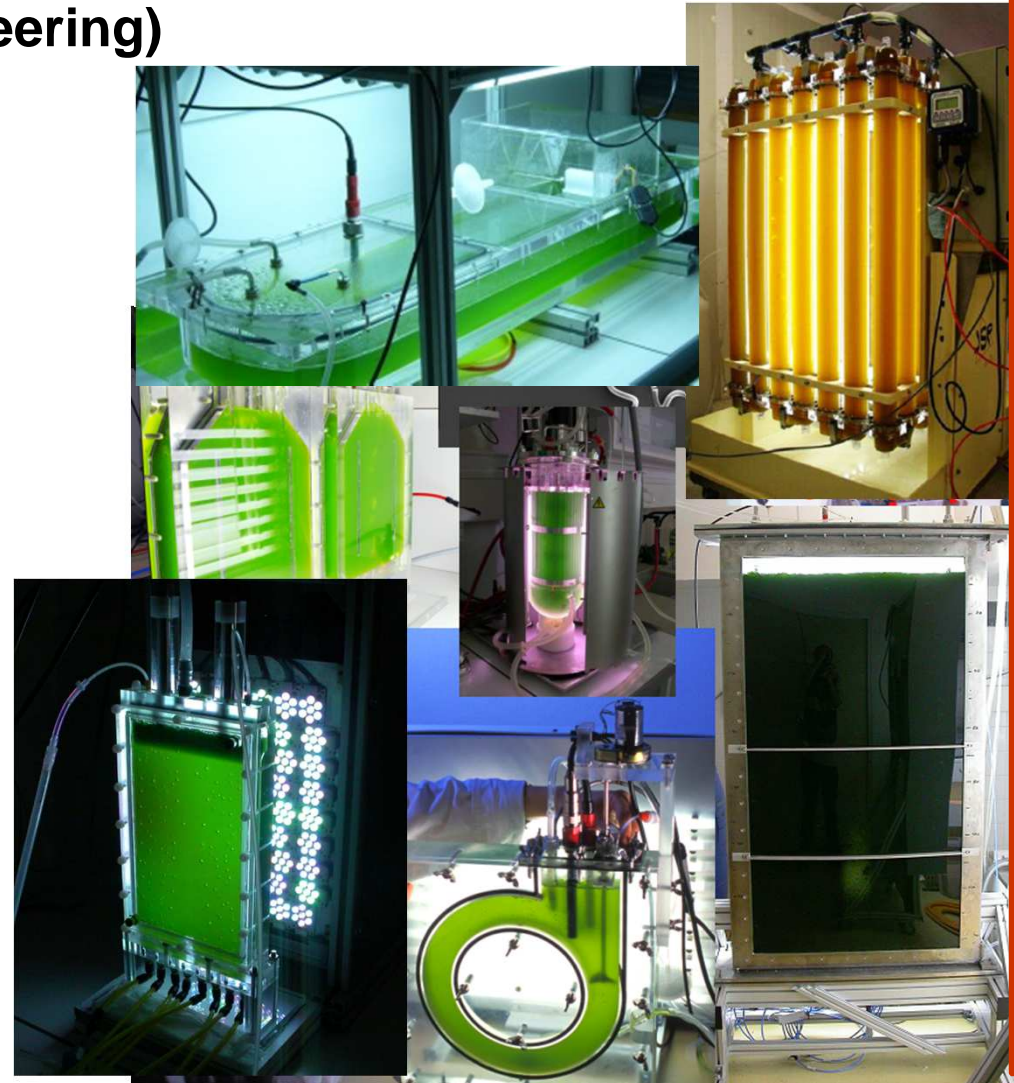
Modelling light-limited growth in photobioreactors

For maximal efficiency, photobioreactors are to be operated with physical limitation by light (light-limited growth model is thus the basis in photobioreaction engineering)

Classification:

- Artificial or solar light
- Closed or open systems
- Cylindrical tank, plan systems, tubular reactors
- Free or immobilised cells
- Mechanical agitation or airlift

As a result, for a given geometry, photobioreactor efficiency is fully dependent on light supply



MODELING LIGHT-LIMITED GROWTH IN PHOTOBIOREACTOR

Mass balance on the photobioreactor

(1)
$$\frac{dC_x}{dt} = \langle r_x \rangle - DC_x$$
 CSTR
 Key-term : $\langle r_x \rangle$ (biological production rate)

Radiative transfer modelling

Light availability is a function of light available (PFD), absorption and scattering by cells

(2)
$$G_i = f'(q_0, C_x)$$
 G_i : irradiance (inside culture)
 q_0 : incident photon flux density

Kinetic model of photosynthetic growth

(3)
$$r_x = f(G_i, C_x)$$

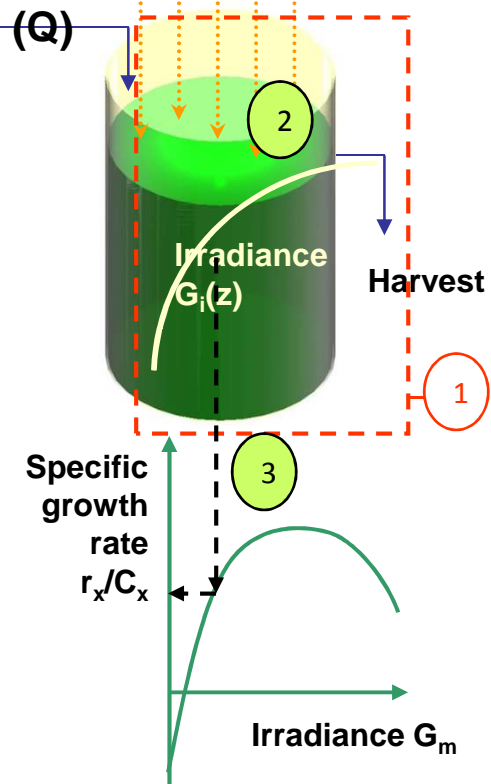
Biomass production rate (r_x) is related to light available inside the culture (local formulation). Needs to be integrated on reactor volume

$$\langle r_x \rangle = \frac{1}{V_r} \iiint_{V_r} r_x \cdot dV_r$$

Dilution rate $D = Q/V_r$
 Q : feeding flowrate
 V_r : reactor volume
 $t = 1/D$: residence time

Photon Flux Density (q_0)

Feeding medium (Q)



(1) (2) (3) are solved to give biomass growth (C_x) with respect to radiation conditions

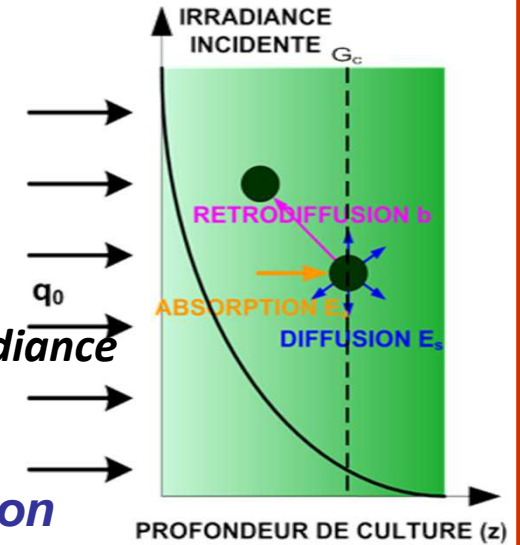
Radiative transfer modeling

$$(\Omega \cdot \nabla) I_\lambda(r, \Omega, t) = -(a_\lambda + s_\lambda) I_\lambda(r, \Omega, t) + \frac{s_\lambda}{4\pi} \iint_{4\pi} I_\lambda(r, \Omega', t) p_\lambda(\Omega, \Omega') d\Omega'$$

Radiative Transfer Equation (Chandrasekhar, 1960): I =intensity or radiance

Two-Flux model + one-dimensional hypothesis

Ability to represent light scattering and absorption

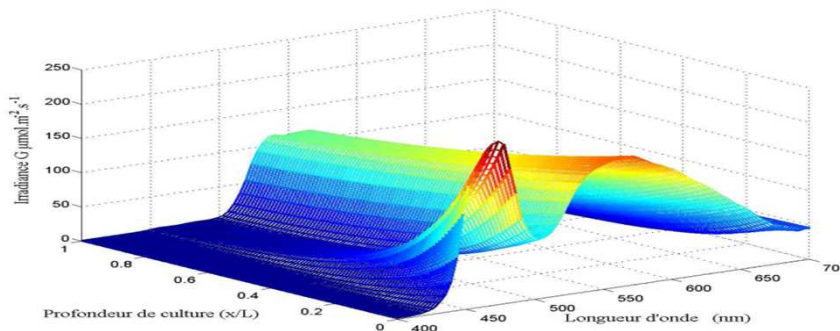
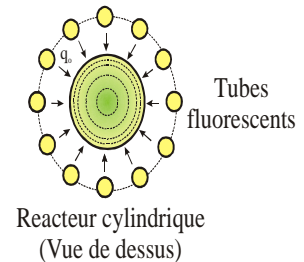
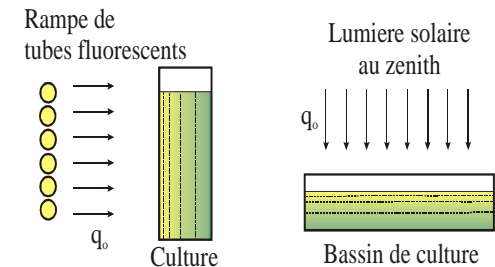


Analytical solution for most of the practical cases. For flat panel

$$\frac{G_\lambda}{q_{0,\lambda}} = K \frac{[(1+\alpha_\lambda) \exp(-\delta_\lambda(z-L))] - [(1-\alpha_\lambda) \exp(\delta_\lambda(z-L))]}{(1+\alpha_\lambda)^2 \exp(\delta_\lambda L) - (1-\alpha_\lambda)^2 \exp(-\delta_\lambda L)} \quad \text{if } \rho_\lambda = 0$$

Flat panel PBR with reflecting back side

$$\frac{G_\lambda}{q_{0,\lambda}} = K \frac{[\rho_\lambda(1+\alpha_\lambda) \exp(\delta_\lambda L) - (1-\alpha_\lambda) \exp(-\delta_\lambda L)] \exp(\delta_\lambda z) + [(1+\alpha_\lambda) \exp(\delta_\lambda L) - \rho_\lambda(1-\alpha_\lambda) \exp(-\delta_\lambda L)] \exp(-\delta_\lambda z)}{(1+\alpha_\lambda)^2 \exp(\delta_\lambda L) - (1-\alpha_\lambda)^2 \exp(-\delta_\lambda L) + \rho_\lambda(1-\alpha_\lambda)^2 [\exp(\delta_\lambda L) - \exp(-\delta_\lambda L)]}$$



Extension to the polychromatic light case

Radiative transfer modeling

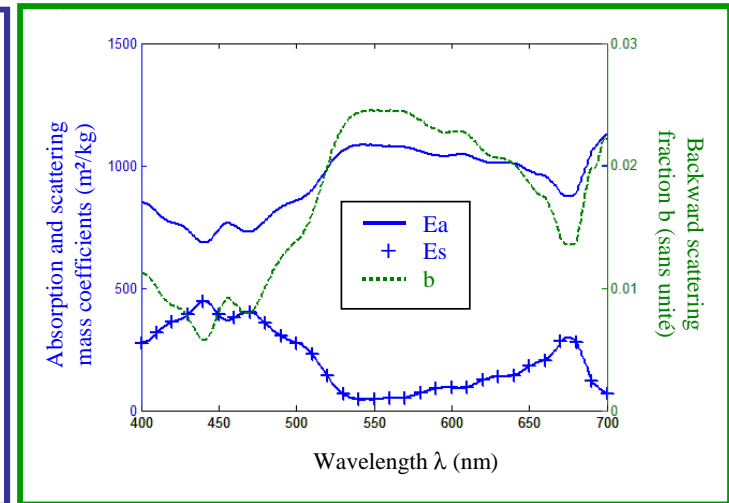
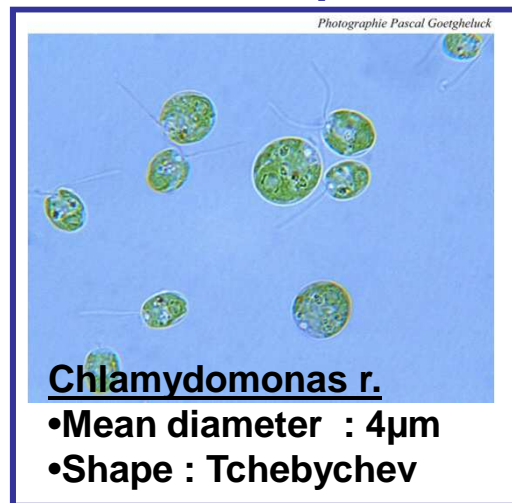
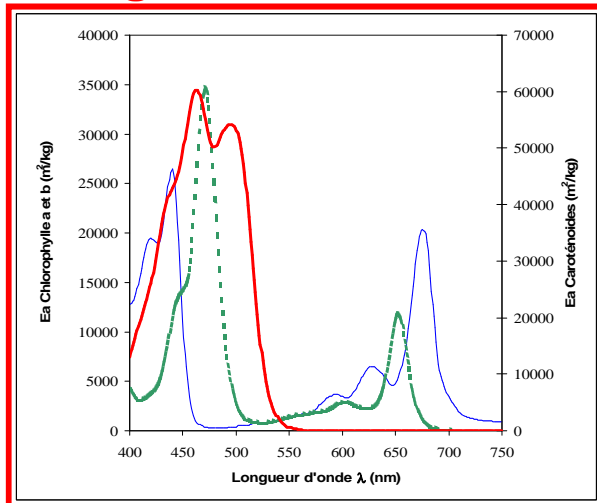
Optical properties are a prerequisite to control light transfer in microalgae cultures

Optical properties are a function of:

•Pigments contents

•Size and shape cells

Predictive determination of optical properties using Lorenz-Mie or anomol diffraction theory

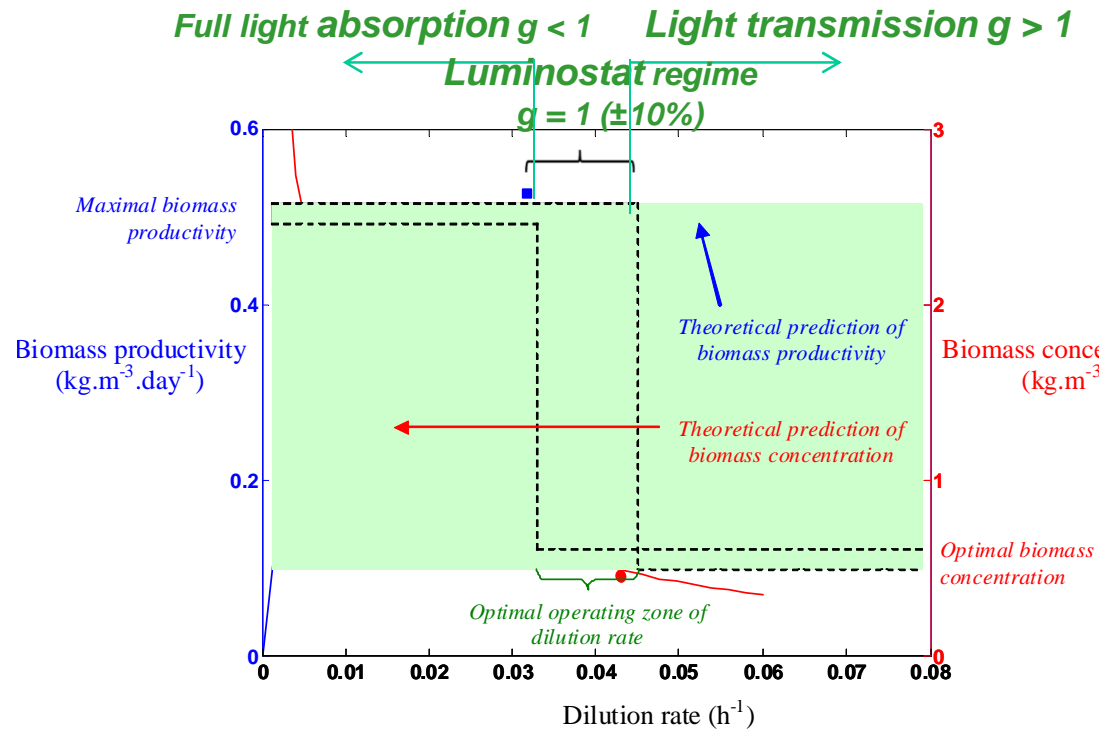


Interests:

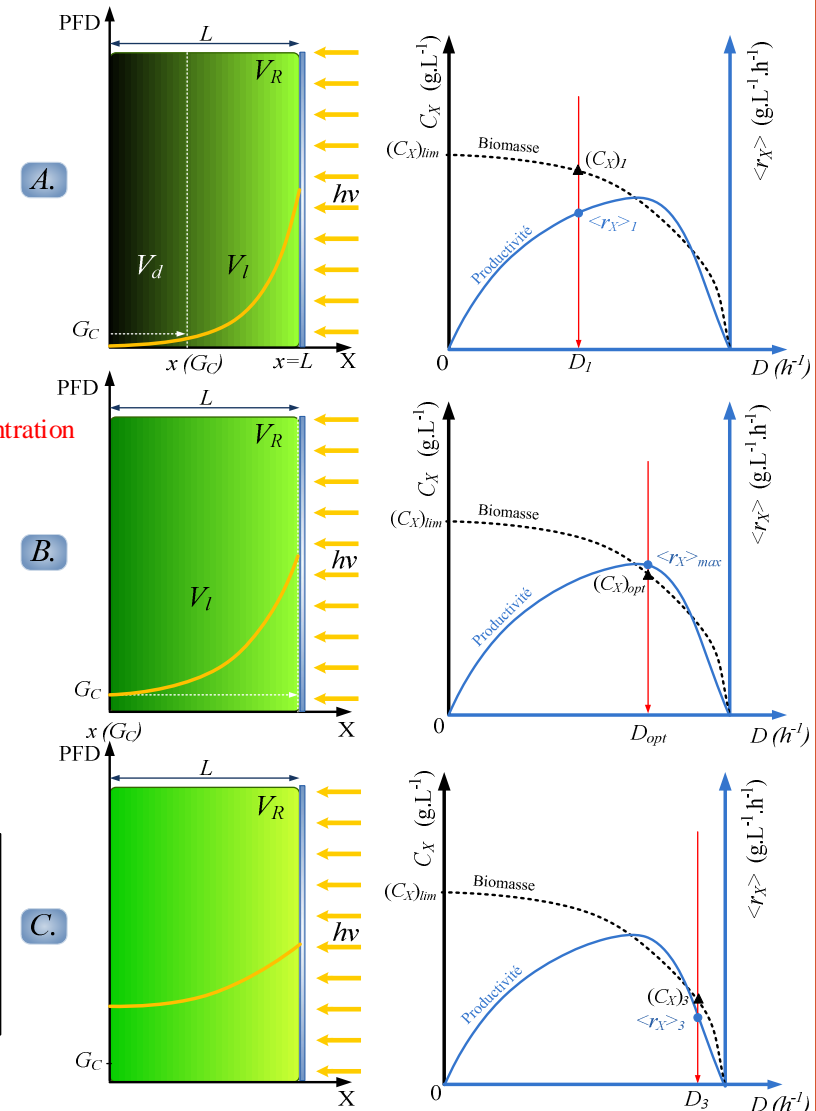
- The method can be applied to any species or mutant (various shapes, size, pigment contents)
- Effect of pigment content variation can be considered (**pigment adaptation, pigment degradation due to mineral starvation**)

Radiative transfer modeling

Understanding the role of light attenuation conditions



The role of illuminated fraction γ on biomass PBR productivity (γ = illuminated to total volume ratio)



Kinetic modeling of photosynthetic growth

In-depth approach with the aim to develop knowledge model

$$\mu = \mu_{\max} \frac{G}{K_S + G} \quad \text{Specific growth rate: usual equation (Monod type unstructured model)}$$

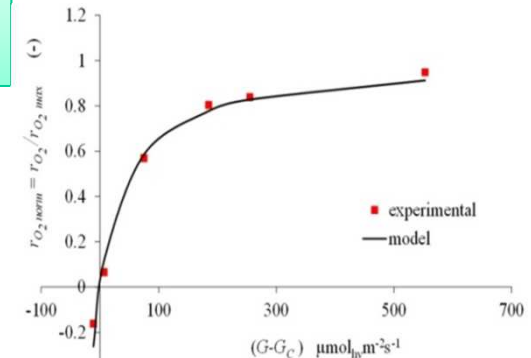
$$\langle r_x \rangle = \mu X$$



Predictive formulation

$$J_{O_2} = \left[\rho \bar{\phi}'_{O_2} \mathcal{A} - \frac{J_{NADH_2}}{v_{NADH_2-O_2}} \times \frac{K_r}{K_r + G} \right] = \left[\rho_M \frac{K}{K + G} \bar{\phi}'_{O_2} \mathcal{A} - \frac{J_{NADH_2}}{v_{NADH_2-O_2}} \times \frac{K_r}{K_r + G} \right]$$

- J_{O2}** Local specific rate of oxygen production (mole/kg/s)
- A** Specific local volumetric radiant power density absorbed
($A = \int E a G \lambda d\lambda$)
- E_a** Mass absorption coefficient
- G** Local spherical irradiance
- K** Half saturation constant for photosynthesis
- K_r** Saturation constant for respiration inhibition at light (obtained from J_{O2}=0)
- M_X** C-molar mass for the biomass
- r_X** Biomass volumetric growth rate (productivity)
- r $\bar{\phi}'_{O_2}$** Energetic yield for photon conversion
- r_M** Maximum energetic yield for photon conversion
- v_{i-j}** Oxygen mole quantum yield for the Z-scheme
- v_{i-j}** Stoichiometric coefficient



Measurement of *K* by photosynthetic O₂ production

Mean volumetric production (or consumption) rate $\langle r \rangle$ is deduced

$$\langle J_{O_2} \rangle = \frac{1}{V_R} \iiint_{V_R} J_{O_2} dV$$

$$\langle r_X \rangle = \frac{\langle J_{O_2} \rangle C_X M_X}{v_{O_2-X}}$$

Fomulation based on measurable or predictable parameters

PBR engineering and sizing

General engineering formula for PBR productivity

$$\langle s_x \rangle_{\max} = (1 - f_d) \rho_M M_x \bar{\phi}'_x \frac{2\alpha}{1 + \alpha} K \ln \left[1 + \frac{q_0}{K} \right]$$

$$\langle r_x \rangle_{\max} = (1 - f_d) \rho_M M_x \bar{\phi}'_x \frac{2\alpha}{1 + \alpha} a_{\text{light}} K \ln \left[1 + \frac{q_0}{K} \right]$$

Surface productivity of a given species is only a function of the PFD

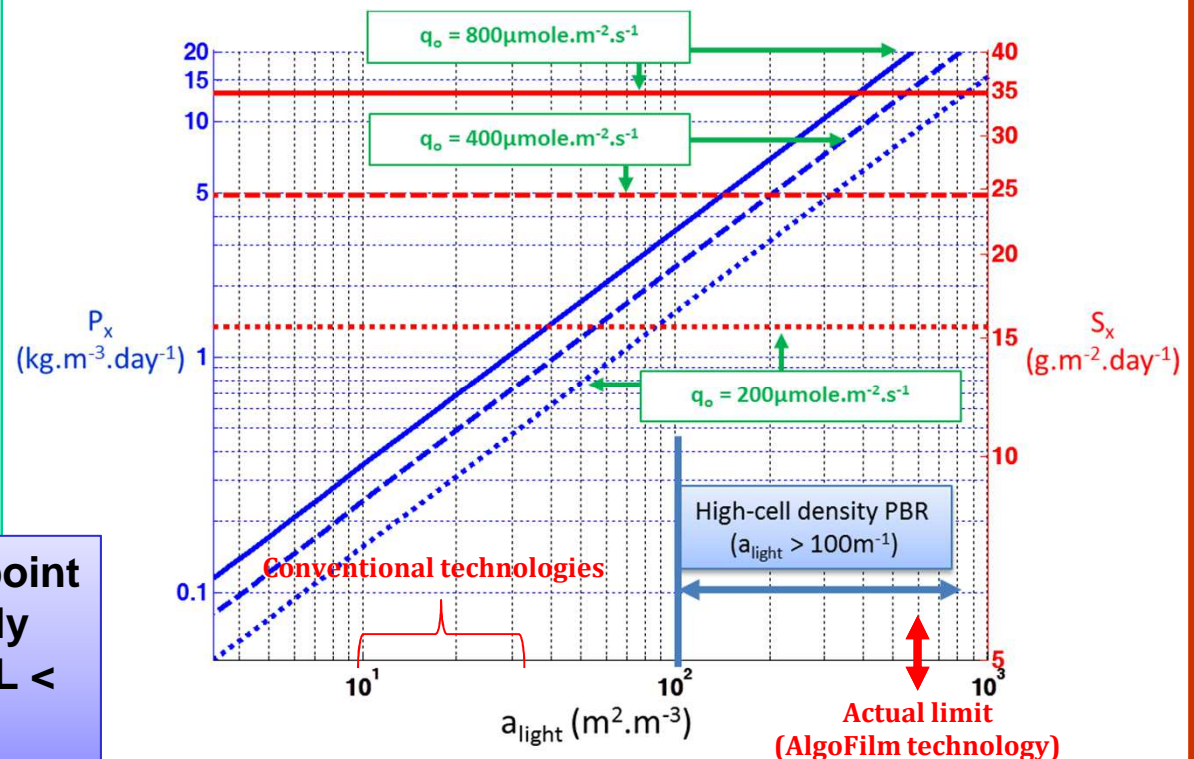
Volumetric productivity can be increased by increasing PFD and/or specific illuminated to volume ratio (i.e. decreasing PBR depth):

Two-orders of magnitude can be covered with appropriate engineering !

The limit is from an engineering point of view → intensified PBR can only be obtained with very thin systems ($L < 1\text{cm}$), ideally using high PFD

3 engineering parameters

- PFD (q_0)
- Specific illuminated surface to volume ratio ($a_{\text{light}} = S/V = 1/L$)
- Non illuminated volume ($f_d=0$ for well-designed systems)



PBR engineering and sizing

**Examples of validation :
Cornet and
Dussap,
Biotech.Progre
ss 2009**

**Engineering
rules are
actually
available for
PBR scaling**

Table 2. Comparison Between Experimental Productivities Obtained in Very Different Kinds of Photobioreactors Cultivating *Arthrospira platensis* and the Simple Formula (Eq. 22)

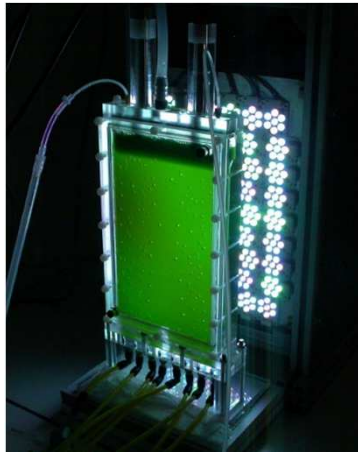
Geometry of the reactor and lighting characteristics	Reactor type and working volume	Operating cultivation condition	Mean incident photon flux density (PAR) ($\mu\text{mol}_{\text{hv}} \text{m}^{-2} \text{s}^{-1}$)	Experimental observed productivity ($\text{kg m}^{-3} \text{h}^{-1}$)	Theoretical maximal productivity given by Eq. 22 ($\text{kg m}^{-3} \text{h}^{-1}$)	Deviation (%)
Rectangular, lightened by one side $a_{\text{light}} = 12.5 \text{ m}^{-1}$ ($f_d = 0$)	PBR 1, 4 L	Batch	40	$(1.6 \pm 0.2) \times 10^{-3}$	1.8×10^{-3}	+12
		Batch	50	$(2.1 \pm 0.2) \times 10^{-3}$	2.4×10^{-3}	+14
		Batch	85	$(3.2 \pm 0.2) \times 10^{-3}$	3.5×10^{-3}	+9
Cylindrical, lightened by one side $a_{\text{light}} = 12.5 \text{ m}^{-1}$ ($f_d = 0$)	PBR 2, 5 L	Batch	130	$(2.6 \pm 0.2) \times 10^{-3}$	2.8×10^{-3}	+8
		Batch	260	$(4.7 \pm 0.4) \times 10^{-3}$	4.9×10^{-3}	+4
		Batch	315	$(5.0 \pm 0.5) \times 10^{-3}$	5.4×10^{-3}	+8
		Batch	365	$(5.3 \pm 0.5) \times 10^{-3}$	5.9×10^{-3}	+13
		Batch	520	$(7.1 \pm 0.7) \times 10^{-3}$	7.4×10^{-3}	+4
		Batch	575	$(7.2 \pm 0.7) \times 10^{-3}$	7.8×10^{-3}	+8
		Batch	730	$(9.5 \pm 0.8) \times 10^{-3}$	8.9×10^{-3}	-6
		Batch	840	$(1.1 \pm 0.1) \times 10^{-2}$	9.6×10^{-3}	-4
		Continuous	630	$(8.0 \pm 0.7) \times 10^{-3}$	8.3×10^{-3}	+4
		Continuous	1045	$(1.2 \pm 0.1) \times 10^{-2}$	1.1×10^{-2}	-8
Cylindrical, radially lightened $a_{\text{light}} = 25 \text{ m}^{-1}$ ($f_d = 0$)	PBR 3, 5 L	Continuous	1570	$(1.3 \pm 0.1) \times 10^{-2}$	1.3×10^{-2}	0
		Batch	245	$(1.3 \pm 0.1) \times 10^{-2}$	1.4×10^{-2}	+8
		Batch	620	$(1.9 \pm 0.2) \times 10^{-2}$	2.2×10^{-2}	+15
		Batch	1095	$(2.7 \pm 0.1) \times 10^{-2}$	2.8×10^{-2}	+4
Cylindrical, radially lightened $a_{\text{light}} = 40 \text{ m}^{-1}$ ($f_d = 0.48$)	PBR 4, 7 L	Batch	1590	$(3.3 \pm 0.5) \times 10^{-2}$	3.2×10^{-2}	-3
		Continuous	235	$(1.0 \pm 0.1) \times 10^{-2}$	1.1×10^{-2}	+10
		Continuous	365	$(1.3 \pm 0.1) \times 10^{-2}$	1.4×10^{-2}	+7
		Continuous	625	$(1.7 \pm 0.2) \times 10^{-2}$	1.9×10^{-2}	+12
Oblate cylinder, lightened by one side $a_{\text{light}} = 43.5 \text{ m}^{-1}$ ($f_d = 0$)	PBR 5, 0.106 L	Continuous	780	$(1.9 \pm 0.2) \times 10^{-2}$	2.1×10^{-2}	+10
		Batch	65	$(8.9 \pm 0.1) \times 10^{-3}$	9.5×10^{-3}	+7
		Batch	390	$(1.2 \pm 0.1) \times 10^{-2}$	1.3×10^{-2}	+8
Cylindrical, radially lightened $a_{\text{light}} = 26.7 \text{ m}^{-1}$ ($f_d = 0.33$) (experimental results from Refs. 31,32)	PBR 6, 77 L	Continuous	525	$(1.4 \pm 0.2) \times 10^{-2}$	1.5×10^{-2}	+7
		Continuous	840	$(1.7 \pm 0.2) \times 10^{-2}$	1.8×10^{-2}	+6
		Batch	190	$(2.2 \pm 0.2) \times 10^{-2}$	2.0×10^{-2}	-10
Annular and cylindrical, radially lightened $a_{\text{light}} = 40 \text{ m}^{-1}$ ($f_d = 0$)	PBR 7, 6 L	Batch	340	$(3.1 \pm 0.3) \times 10^{-2}$	2.8×10^{-2}	-10
		Batch	530	$(4.1 \pm 0.3) \times 10^{-2}$	3.5×10^{-2}	-15
		Batch	33	$(3.3 \pm 0.3) \times 10^{-3}$	3.5×10^{-3}	+6
Rectangular, lightened by one side $a_{\text{light}} = 25 \text{ m}^{-1}$ ($f_d = 0$) (experimental results from Ref. 23)	PBR 8, 0.5 L	Batch and continuous	135	$(1.1 \pm 0.1) \times 10^{-2}$	1.0×10^{-2}	-10
		Continuous	135	$(1.1 \pm 0.1) \times 10^{-2}$	1.0×10^{-2}	-10

Less than 15% deviation

Understanding and optimizing PBR technology

Investigation in fully-controlled PBR

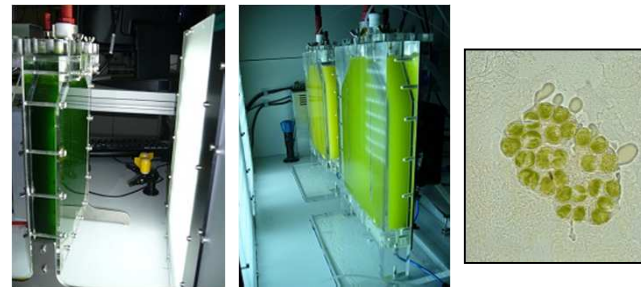
Biological /metabolism studies



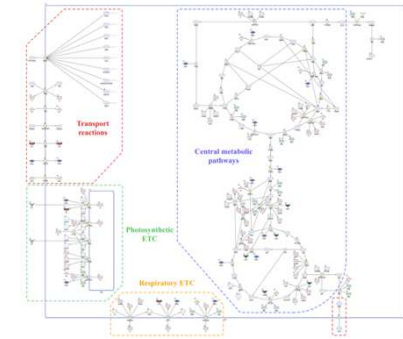
Flat panel PBR for simulated day/night cycles investigation



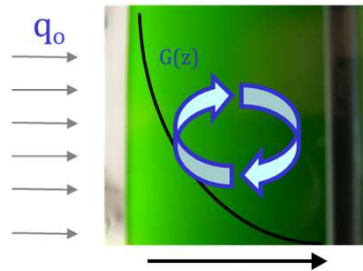
Torus PBR for in-depth investigation



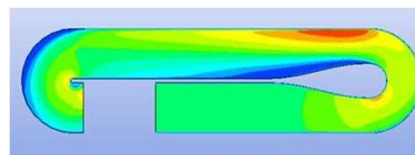
Investigation of light absorption conditions



Hydrodynamics/gas-liquid mass transfer/thermal optimisation

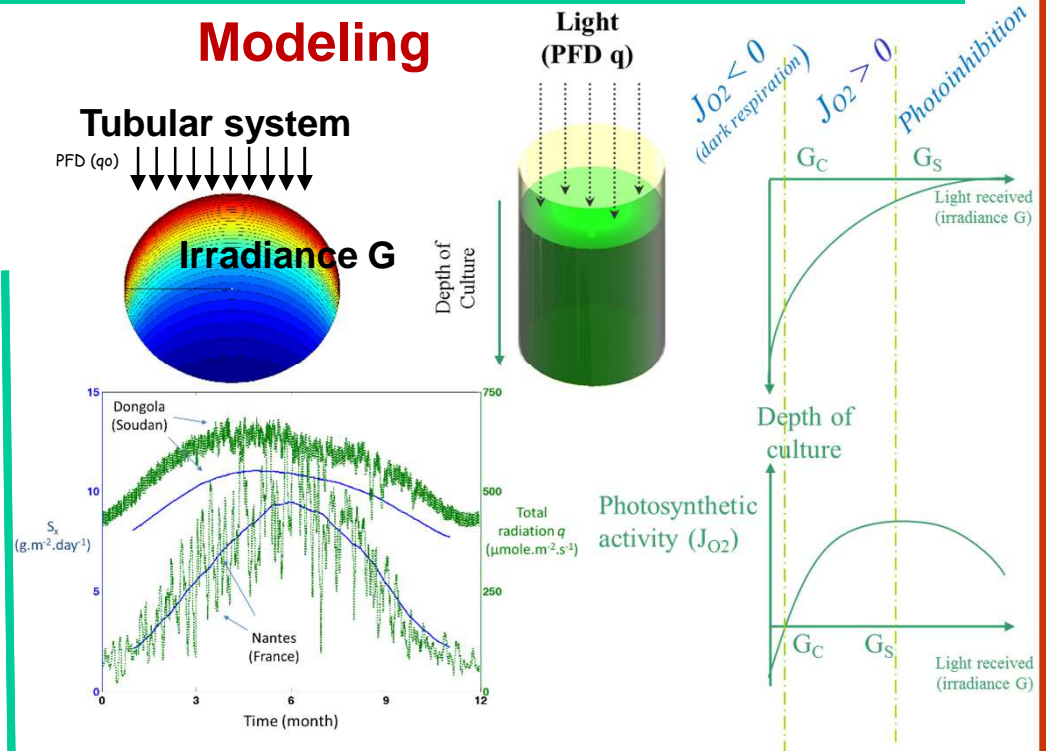


L/D cycles investigation



CFD for mixing optimisation in RW

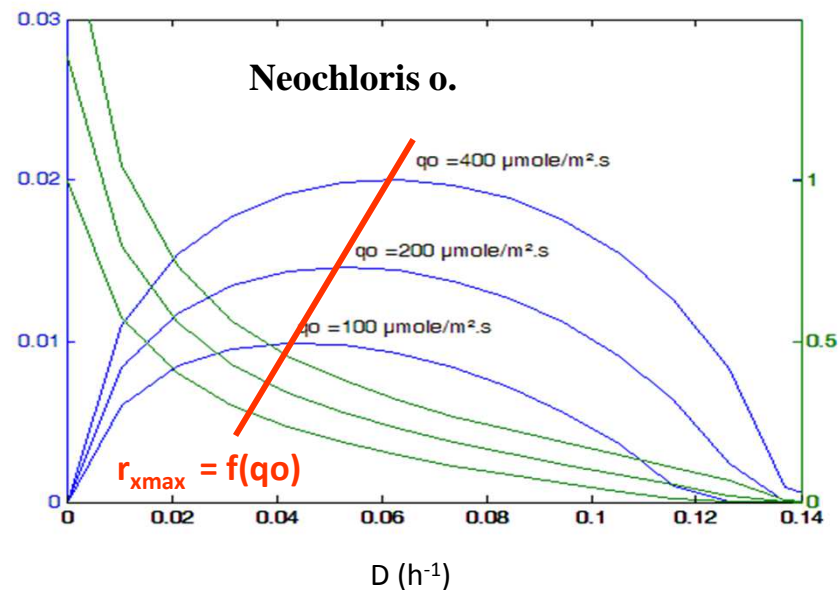
Modeling



Modelling light-limited growth in photobioreactors

For maximal efficiency, photobioreactors are designed and operated to be physically limited by light (light-limited growth model is thus the basis in photobioreactor engineering)

Volumetric productivity r_x (g/l.h)

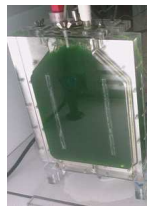
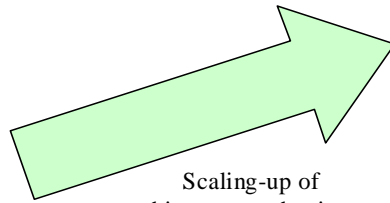


Biomass concentration X (g/l)

As a result, for a given geometry, photobioreactor efficiency is fully dependent on light supply: complex for solar technologies

Model-based PBR scaling

Scaling-up of biomass production



0.3m
($V_R = 1L$)

Airlift PBR
(lab-scale PBR)



Airlift PBR
(Pilote-scale PBR)

Neochloris oleoabundans:

$$r_M = 0.8$$

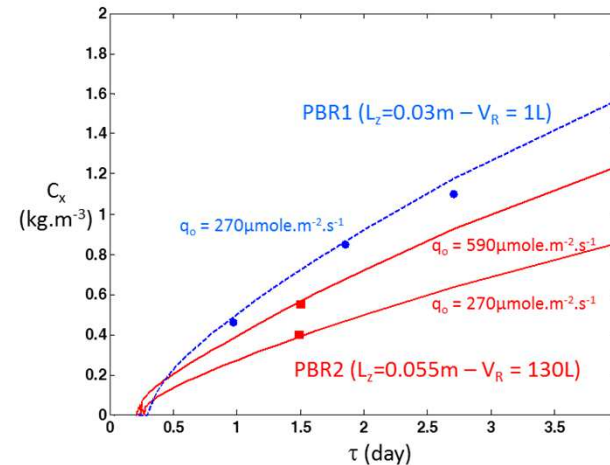
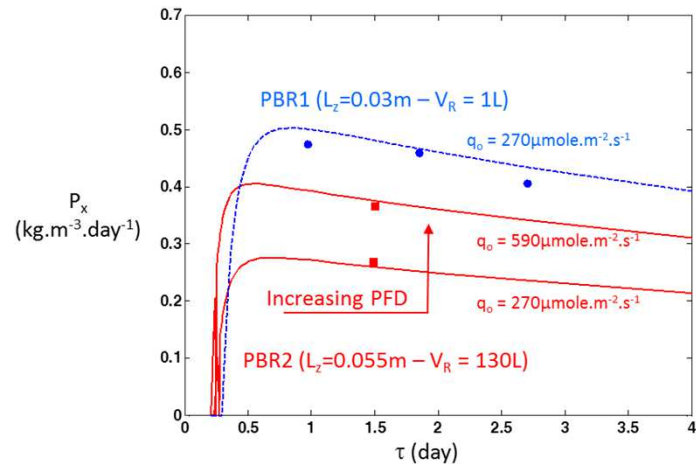
$$\phi = 1.83 \cdot 10^{-9} \text{ kg}/\mu\text{mole h n}^{-1}$$

$$K = 90 \mu\text{mole} \cdot \text{m}^{-2} \cdot \text{s}^{-1}$$

$$a = 0.98$$

1.8m
($V_R = 130L$)

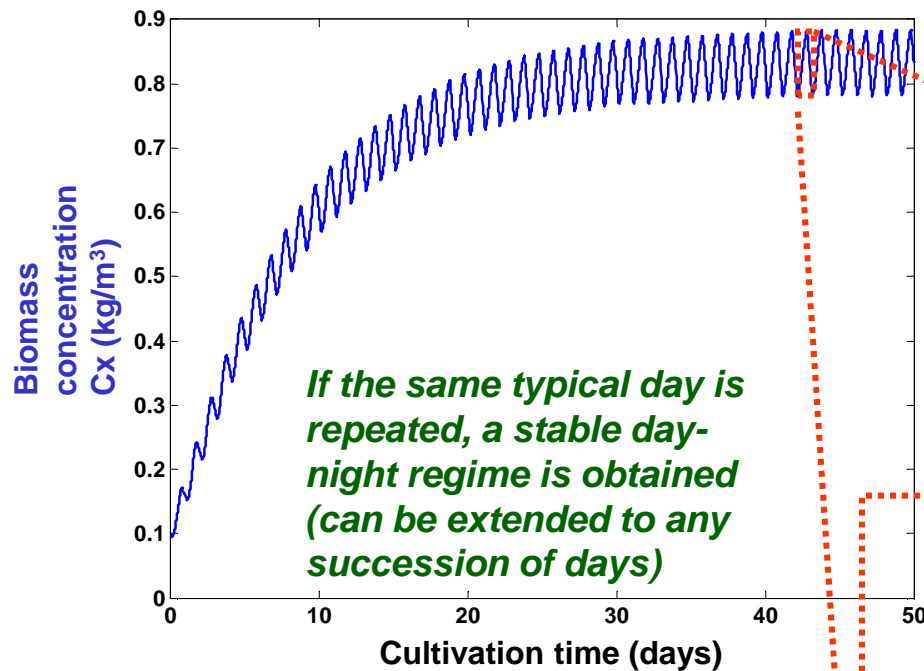
Prediction of biomass concentration and productivity as a function of PBR geometry (depth) and PFD :
Maximal deviation of 15%



Engineering rules are actually available for PBR scaling

SOLAR PHOTOBIOREACTOR MODELING: Dynamic behavior of the process during day/night

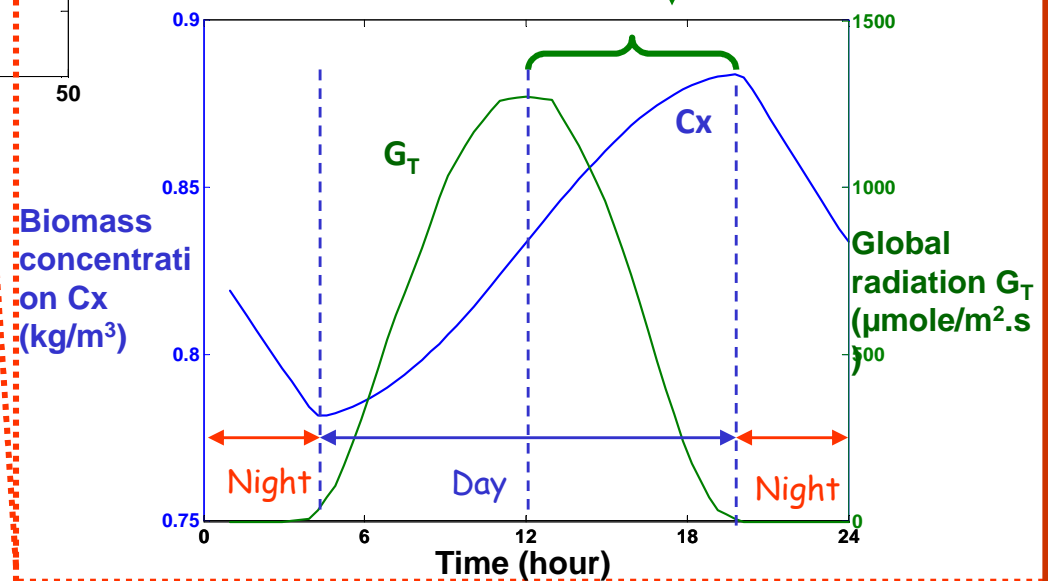
Biomass growth during simulated day/night cycles



Delay between radiation and X evolution

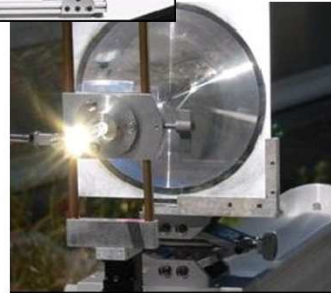
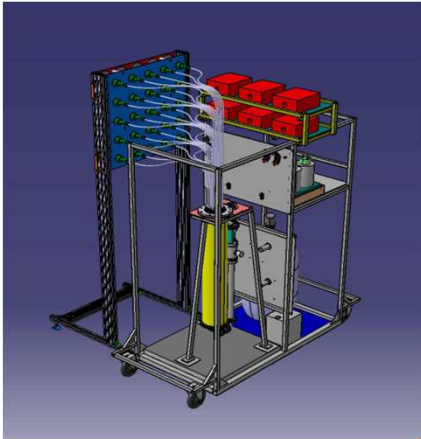
Dynamic evolution of biomass concentration

- Biomass growth all along the day
- Negative effect of night (biomass lost)

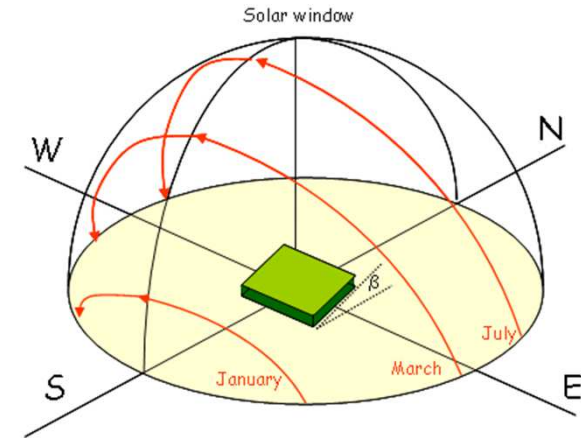


Solar PBR

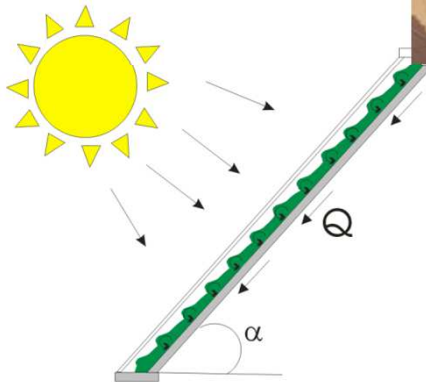
DiCoFluv



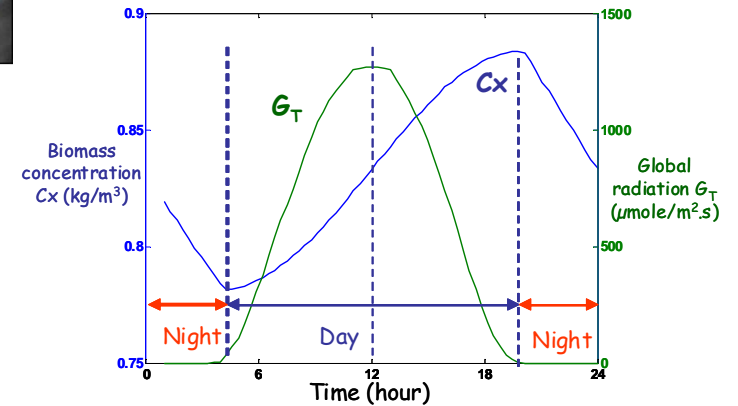
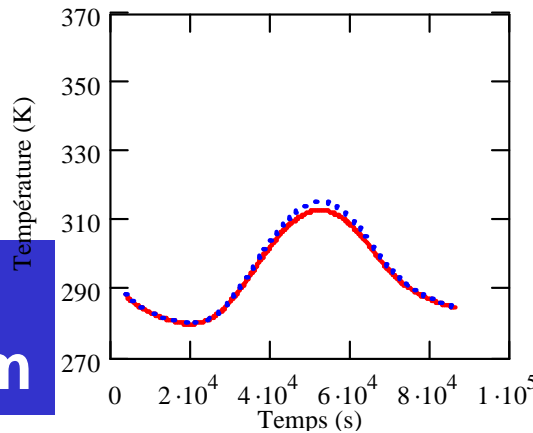
Models for solar PBR



AlgoFilm



Passive thermal control

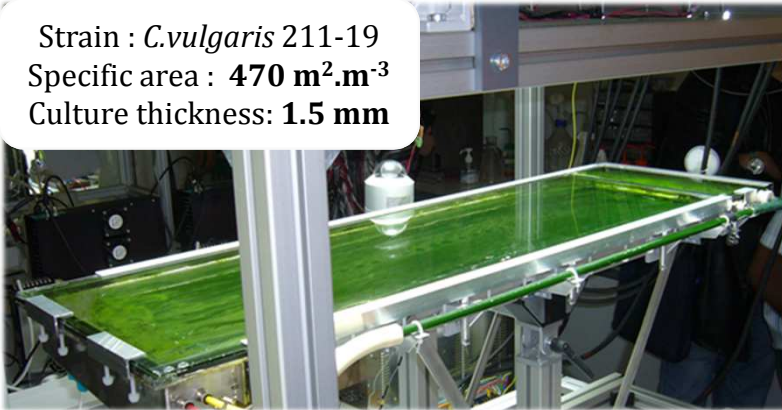


PBR conception: DiCoFluv & AlgoFilm

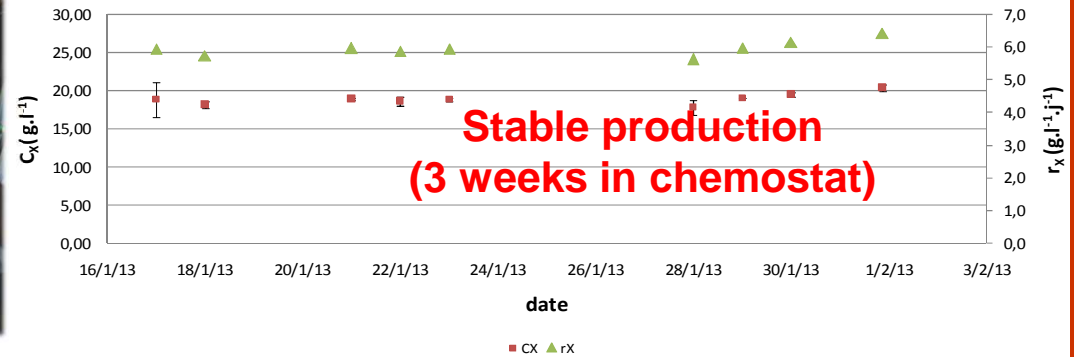
Day/light cycles behaviour

AlgoFilm solar technology

Strain : *C.vulgaris* 211-19
 Specific area : $470 \text{ m}^2 \cdot \text{m}^{-3}$
 Culture thickness: 1.5 mm



Evolution of biomass concentration and volumetric productivity for $D=0,013 \text{ h}^{-1}$ (typical summer cycle, Saint-Nazaire)



Productivity target (equator location)

$$\langle r_X \rangle_{\max} \cong 2 - 10 \text{ kg} \cdot \text{m}^{-3} \cdot \text{day}^{-1}$$

$$\langle s_X \rangle_{\max} \cong 16 - 28 \cdot 10^{-3} \text{ kg} \cdot \text{m}^{-2} \cdot \text{day}^{-1}$$

$$\langle s_X \rangle_{\max} \cong 60 - 100 \text{ t} \cdot \text{ha}^{-1} \cdot \text{year}^{-1}$$

**Maximal productivity achieved
(15days cultivation) : $6.0 \text{ kg} \cdot \text{m}^{-3} \cdot \text{d}^{-1}$**

**Expected from models
(prior AlgoFilm
development) :
 $5.5 \text{ kg} / \text{m}^3 \cdot \text{day}$**

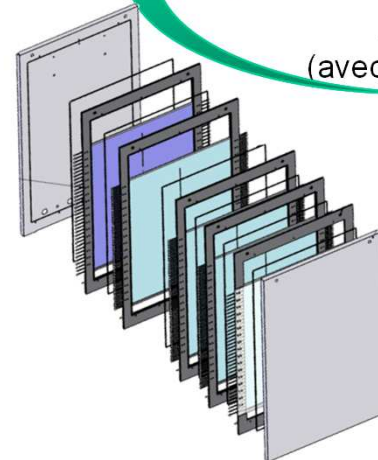
Technology	Volumetric productivity ($\text{kg} \cdot \text{m}^{-3} \cdot \text{j}^{-1}$)		Increase of volumetric productivity (with AlgoFilm technology)
Average radiation ($\mu\text{mol}_{\text{hm}} \cdot \text{m}^{-2} \cdot \text{s}^{-1}$)	430	270	
Raceway pond	~ 0,1	~ 0,07	~60-80
Conventional technology ($a_{\text{light}}=20 \text{ m}^{-1}$)	~ 0,3 - 0,5	~ 0,2 - 0,35	~ 20
AlgoFilm (experimental results)	~ 6,1	~ 5,7	

Intermediate conception: « Filter-press » PBR

(Predictive models: GEPEA-IP)

	Hector	PRIAM (Prototype)	PRIAM (Unité de production)
Volume	130litres	11.6litres	130litres (ou plus)
Surface éclairée	2.34m ²	6m ²	60m ²
Surface spécifique éclairée	18m ² /m ³	515m ² /m ³ réel (666m ² /m ³ max)	515m ² /m ³ réel (666m ² /m ³ max)
Volume par unité de surface	55litres/m ²	1.93litres/m ²	1.93litres/m ²
Performance maximale	0.4kg/m ³ /j (50g/j) (PFD = 500μmole/m ² /s)	5.5kg/m ³ /j (60g/j) (PFD = 200μmole/m ² /s)	5.5kg/m ³ /j (700g/j) (PFD = 200μmole/m ² /s)

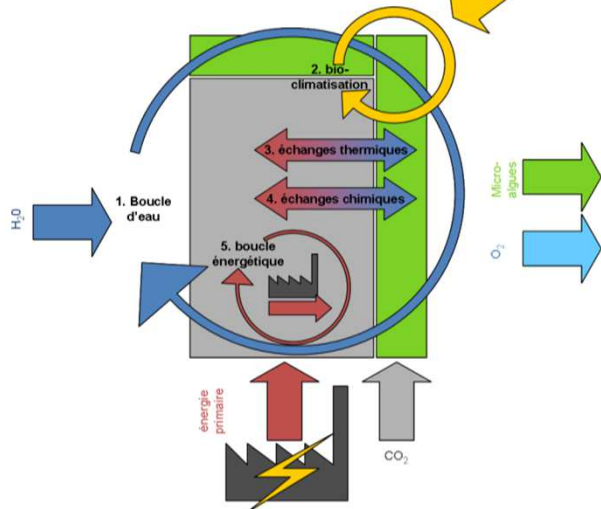
Hector (GEPEA)



X15
(avec PFD / 2.5)



Biofaçade project



Biofaçade pilot



Vertical PBR

Optimisation and integration of PBR in the bulilding = symbiosis



Demonstrator

ALGO SOLIS

MICOALGAE R&D PLATFORM



Objectives

- **Study in real conditions at industrial representative scale.**
- **Development and optimisation of the different steps of the process**
- **Microalgae production with industrial effluents (flue gas, wastewaters).**

INFRASTRUCTURE

- **Production surface: 1500m² (350m² on greenhouse)**
- **Biorefinery hall (240m²)**
- **Innocation room and analytical laboratory (100m²)**

CULTURE PROCESS: 10 à 100m²

- **Closed raceways**
- **Intensified PBR**

HARVESTING PROCESS

- **Preconcentration/concentration systems**
- **Filtration and membrane separation**
- **Centrifuges**

BIOREFINERY

- **Cell disruption**
- **Extraction process**
- **Fractioning process**

BIOMASS CONDITIONING

- **Drying**
- **Lyophilisation**
- **Congelation**

Concluding remarks

In-depth control of PBR developed in the MELiSSA framework allows the set-up of knowledge models for:

- PBR intensification
- New PBR conception
- Specific application: biofaçades



Thank you for your attention



<http://www.gepea.fr/>